Optimization of CMOS-ISFET-Based Biomolecular Sensing: Analysis and Demonstration in DNA Detection

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Abstract—Ion-sensitive field-effect transistors (ISFETs) have been used to detect a variety of biomolecules whose charges alter the current or threshold voltage of the transistor. ISFETs can be built into large-scale arrays by CMOS compatible technology, offering the promise of highly parallel, all-electrical biomolecule sensing in a true chip-scale construct. Although CMOS-ISFET-based biomolecule detection has been amply demonstrated, a comprehensive optimization study of its sensitivity based on the device design, which would aid the development of large-scale arrays, remains lacking. Here, we present a systematic optimization strategy for CMOS-ISFET-based biomolecule sensing, using real-time DNA hybridization detection as an example. We analytically show that biasing the ISFETs close to the threshold is optimal, whereas minimizing the channel-to-sensing area ratio is beneficial but with limited sensitivity enhancement due to the double-layer capacitance of the sensing area. We then experimentally confirm our strategy with 26 ISFETs of varying sizes and biases from two CMOS chips, which detect the same 200-nM target DNA with different hybridization signals. The measured data correlate well to the presented theory. Our results are generally applicable to detecting other types of biomolecules, and may help in developing large-scale arrays of electrical biomolecular sensors.

Index Terms—Biomolecular sensing, CMOS, CMOS integrated circuits, DNA array, ion-sensitive field effect transistor (ISFET).

I. INTRODUCTION

A WEALTH of research efforts has been dedicated to developing electrical biomolecular sensors, which respond to the biomolecular charges in the electrolytic solution and can enable real-time, label-free operation on the true chip-scale platform [1]–[4]. Among them, field-effect transistors (FETs) based on nanomaterials, such as semiconductor nanowires, carbon nanotubes, and graphene, have demonstrated high detection sensitivities in the subpicomolar range [5]–[7]. Another example is the ion-sensitive FET (ISFET); it was originally developed for pH sensing [8], [9] and has subsequently been applied for electronic detection of various types of biomolecules [10]. As the ISFETs can be implemented with CMOS technology, they can be readily built into large-scale arrays [11]–[13], and thus hold promise for highly parallel, all-electrical biomolecular sensing [14], [15].

One particularly well-suited example application of such parallelism of CMOS-ISFETs would be an all-electrical DNA microarray. Currently, the fluorescence-based optical DNA microarray is an important tool in molecular biology and molecular diagnostics [16] and achieves parallel operation with picomolar (pM) sensitivity [17], [18]. While CMOS-ISFETs have been used to detect DNA [9], [19]–[26], their development into a commercial array with performance comparable with the optical DNA array has yet to be achieved.

The development of such a large-scale CMOS-ISFET-based biomolecule—DNA and beyond—sensing array can benefit from systematic CMOS-ISFET design optimization studies. To date, researchers have investigated the dependencies of the CMOS-ISFET DNA detection sensitivity on probe DNA [21], electrochemistry [20], [27], and device geometry [19]. The geometry was also investigated in the context of ISFET pH sensing, where a larger sensing electrode area compared with the transistor channel was reported to achieve sensitivity beyond the Nernst equation [28]. Furthermore, optimizations on nanowire FET sensors, while outside of our discussion strictly on CMOS-ISFETs here, have accounted for the capacitance of the double-layer [29] and subthreshold biasing [30], [31] and their effects on FET charge sensitivity. While these studies are useful, it would be even more beneficial if a systematic optimization strategy in CMOS-ISFET biomolecule sensing is explicitly studied, putting various effects together.

We here build upon the prior studies and incorporate all aspects of bias and geometry to carry out a systematic study of the optimization of the CMOS ISFET’s inherent charge sensitivity. We analytically show that the real-time detection signal can be enhanced by biasing the ISFET at the near-threshold region together with the device having a small area ratio...
between the transistor channel and the sensing electrode, while the sensitivity limit arises from the double-layer capacitance of the sensing electrode in solution. We then experimentally confirm our co-optimization strategy with 26 CMOS-ISFETs of varying sizes and biases, from two separate CMOS chips fabricated in 0.18-μm technology; they detect the same 200-nM target DNA hybridization with different sensitivities, with good correlation to the presented theory. The results of this performance optimization study, which are applicable not only to DNA but also other biomolecules with inherent charges, may help develop a variety of large-scale CMOS-ISFET biosensor arrays.

II. MATERIALS AND METHODS

A. Fabrication of ISFET Arrays and Microfluidics

We fabricate floating-gate ISFET arrays in 0.18-μm CMOS technology through a silicon foundry (using 3.3 V devices with a gate oxide thickness of $t_{ox} = 70$ Å), and postprocess the silicon chips in-house to expose the top metal (Al) of the floating gates (Fig. 1). Each chip contains four identical ISFET arrays with each array consisting of 4 × 4 p-type ISFETs [Fig. 1(a)]. We use two chips for this study, and DNA detection experiments are performed with the third array from the chip edge for each chip. The floating gate of each ISFET [24], [26], shown in Fig. 1(b) has an upper side facing electrolyte with a larger sensing area $A_S$ (width: $W_S$; length: $L_S$), and a bottom side facing the FET channel with a smaller channel area $A_C$, where its corresponding width $W$ and length $L$ are those of the FET channel. The 16 ISFETs in the third array of each chip are designed with varying $A_S$ and $A_C$ values, with channel length $L$ ranging from the short-channel process minimum of 0.3 μm to a long-channel maximum of 1.5 μm (Table I).

To expose the top metal of the floating gate, we use reactive-ion etching (RIE). Before RIE, the contact metal pads and the backside of the chip are covered by photoresist to prevent the RIE plasma from breaking down the ISFET gates, though some fixed charge is still accumulated on the floating gate causing variations in the threshold voltage among the different ISFETs. After RIE, a native Al$_2$O$_3$ layer (∼5-nm thick) naturally forms on the exposed metal. This Al$_2$O$_3$ layer acts as a sensing area that anchors probe DNA to which the target DNA is hybridized [19].

A microfluidic channel (length × width × height = 1.5 mm × 1 mm × 60 μm) is then fabricated on top of the chip [Fig. 1(c)]. This facilitates robust controllable delivery and removal of electrolyte, DNA molecules, and surface functionalization materials. The microfluidic channel has inlet and outlet tubings; an Ag/AgCl wire inserted through the outlet tubing acts as a reference electrode in the electrolyte, and provides reference voltage $V_{REF}$. The silicon chip and microfluidic channel are assembled on a printed circuit board with bonding wires connecting the ISFET-array chip and the printed circuit [Fig. 1(c)].

B. Surface Functionalization

We functionalize the ISFET sensing areas so that they can anchor the probe DNA molecules (Fig. 2) [2], [5], [32]. We first treat the chip surface with biotinylated bovine-serum-albumin (BSA) for ca. 2 h. After DI water rinsing, we subsequently expose the chip surface to streptavidin for ca. 1.5 h, during which streptavidin binds to biotinylated BSA.
These streptavidin molecules provide the sites for biotinylated probe DNA molecules to bind (Section II-C). These surface treatment steps are executed while floating the reference electrode voltage $V_{\text{REF}}$ and keeping the source and drain voltages of each ISFET, $V_S$ and $V_D$, at 0 V.

**C. Probe DNA Immobilization and Electrical Detection of Target DNA Hybridization**

After the surface functionalization, we rinse the chip with 0.005 × phosphate buffered saline (PBS). 200 nM of single-stranded probe DNAs are then introduced in DI water for immobilization onto the ISFET sensing areas. After a 1-h wait, itinerant probe DNA is washed with 0.005 × PBS. Subsequently, in 0.005 × PBS, we record the source-to-drain current $I_{SD}$, of each ISFET in the 4 × 4 ISFET array in real time; the sources of the 16 ISFETs are connected together, while their drain nodes connect to an external 16:1 multiplexer; each $I_{SD}$ is first amplified by a low-noise current preamplifier (SR570) and recorded by a multimeter (Agilent 34411A) at every ~20 s. When each current stabilizes into less than a 1% difference within a 30-min window, 200-nM single-stranded target DNA, whose sequence is complementary to a 20-base segment (underlined) of 22-mer probe DNA, is introduced in DI water. After a 1-h wait for hybridization, itinerant target DNA is removed by 0.005 × PBS rinsing. We then measure $I_{SD}$ in 0.005 × PBS until its stabilization. In all of these electrical measurements, the source–drain voltage $V_{SD}$ of each ISFET is kept at 0.5 V. This is a largely arbitrary value to ensure that no ISFET enters the linear region for various gate voltages that differ from device to device to test our optimization theory.

The target DNA hybridization can be detected by observing the increase in the stabilized value of posthybridization-phase $I_{SD}$ from that of prehybridization-phase $I_{SD}$, because DNA is negatively charged and our ISFETs are p-type. Throughout the prehybridization and posthybridization phases [hybridization phase], 0.005 × PBS [target DNA solutions] are added once every 14 min to avoid bubble formation. With 0.005 × PBS, the Debye length $\lambda_D$ is ~10.7 nm [3], [33], sufficient for our ISFETs to sense the hybridized DNA charges.

**D. DNA Sequence**

The sequence of probe DNA is 5′-biotin-TGGCGACGGCAGAGGGCTGAGGTAGTAGTTTGTACAG-3′, where the underlined 20-base segment is complementary to the shorter target DNA, whose sequence is 5′-Cy5-CTGTGACAAAACCTACTACCCTA-3′. This sequence is complementary to the 20-base segment (underlined) of 22-mer miRNA let7g, 5′-UGAGGUAGUAGUUUGUACAGXU-3′, which is widely believed to mediate tumor suppression in human cancer [34], [35]. The control DNA in lieu of the target DNA in control experiments is 5′-TGAGGTGATAGTTGATAGTT-3′. We choose a shorter target/control DNA sequence complementary to the 5′ end of a longer probe DNA due to empirical observations that hybridizing target DNAs close to the 5′ end may be less efficient. We attribute this to the positive charge of the streptavidin (pI = 5.6 [33]) in 0.005 × PBS electrostatically attracting the 5′ end of the probe DNAs, possibly preventing those nucleotides from being accessible for hybridization.

**E. Analyte Details**

Details of the various analytes mentioned in the foregoing are as follows: 1) 1-mg/mL biotinylated-BSA in 18.2-MΩ · cm deionized water; 2) 0.2-mg/mL streptavidin in 1 × TE; 3) probe DNA, target DNA, and control DNA in 18.2-MΩ · cm deionized water; and 4) and diluted 0.005 × PBS from 1 × PBS by 18.2-MΩ · cm deionized water. Here, 1 × PBS is the standard solution with 137-mM NaCl and 1 × TE is the standard solution with 10-mM Tris and 1-mM ethylenediaminetetraacetic acid. The biotinylated-BSA and streptavidin are from Sigma Aldrich; DNA is from Integrated DNA Technologies.

**III. RESULTS AND DISCUSSION**

**A. Bias-Geometry Co-Optimization Theory of CMOS-ISFETS**

We now describe the ISFET optimization strategy in the context of real-time DNA detection, while the following analysis applies to sensing other biomolecules with inherent charges in electrolyte. Let $Q_H$ be the total effective surface charge brought by the hybridized target DNA onto the sensing area of a p-ISFET ($Q_H < 0$). $Q_H$ is not in general the total charge $Q_{H,\text{total}}$ of the entire target DNA molecules hybridized onto the ISFET, but it is the effective surface charge that affects the ISFET conductance; this distinction is needed because, for example, a fraction of $Q_{H,\text{total}}$ may be too distant from the sensing area to affect the ISFET conductance. $Q_H$ will increase the ISFET channel current from $I_{SD}$ to $I_{SD} + \Delta I_{SD}$.

We seek to quantify the normalized current change $\Delta I_{SD}/I_{SD}$ as a function of the effective surface charge density $q_H' = Q_H/A_S$ ($q_H' < 0$) with the ISFET bias and geometry as parameters, so that we can co-optimize the ISFET’s intrinsic charge sensitivity with its geometry and biasing. This is opposed to maximizing $Q_H$ (or $d_H = Q_H/A_S$) for a given $Q_{H,\text{total}}$ (or $Q_{H,\text{total}}/A_S$), which is highly influenced by electrochemistry and probe DNA optimization. Although these optimizations are important for the overall DNA detection sensitivity, they are outside the scope of this paper, which is focused on the intrinsic ISFET sensitivity. It is important to note, however, that the bias point of the floating gate can influence $Q_H$ within the established electric field interface between the sensing gate and the electrolyte [7], [31], [36]–[38], and should be considered if optimizing the system as a whole. In a more general context, these discussions with $Q_H$ can represent any effective biomolecular charge in solution, so long as the charge is affecting the ISFET conductance.

$Q_H = q_H' \cdot A_S$ induces a negative voltage change of $\Delta V_X$ at the aluminum oxide surface, at the $V_X$ node in Fig. 3(a), where $\Delta V_X = Q_H/C_{eq}$ and $C_{eq}$ is the equivalent small signal capacitance between node $V_X$ and small signal ground. $C_{eq}$ is calculated as the aluminum oxide double-layer capacitance $C_{DBL}$ in parallel with the series combination of the aluminum oxide to gate capacitance $C_{AlO_3}$ and total gate capacitance $C_G = C_{GS} + C_{GD}$ ($C_{GD}$: gate–drain capacitance;
Let $C_{GS}$: gate–source capacitance, in which we include the gate-body capacitance with the body tied to the source.

We express these capacitances in terms of their corresponding per-unit-area capacitance densities multiplied by the relevant areas: $C_{DBL} = C_{DBL} \cdot A_S$, $C_{AI2O3} = C_{AI2O3} ' A_S$, and $C_G = C_G ' A_C$. As the native aluminum oxide thickness is small (~5 nm) and the sensing area $A_S$ is large in comparison with the MOSFET channel area $A_C$, $C_{AI2O3} (>1 \text{ pF})$ is significantly larger than $C_G (~10 \text{ pF})$ and $\Delta V_X$ is approximately equal to the corresponding change $\Delta V_G$ in the floating gate metal voltage $V_G$.

Taking all the above together, we relate $q'_H$ and $\Delta V_G$ as follows:

$$\Delta V_X = \frac{q'_H}{\left( \frac{1}{C_{AI2O3}} + \frac{1}{C_G + C_{DBL}} \right)^{-1} + C_{DBL}}$$

$$\approx \Delta V_G \approx \frac{q'_H A_S}{C_G A_C + C_{DBL} A_S}. \quad (1)$$

This negative $\Delta V_G$ will cause a positive $\Delta I_{SD}$ in the p-ISFET, where $\Delta I_{SD} = -g_m \cdot \Delta V_G$ in a small signal model with $g_m$ (A/V) being the transconductance. Then the normalized ISFET channel current change is expressed as a function of $q'_H$ as follows:

$$\frac{\Delta I_{SD}}{I_{SD}} = -\frac{g_m}{I_{SD}} \cdot \frac{A_S}{C_G A_C + C_{DBL} A_S} \times q'_H. \quad (2)$$

This is the sought-after expression that captures the intrinsic charge sensitivity of the ISFET, which may be rewritten as

$$\frac{\Delta I_{SD}}{I_{SD}} = -G q'_H \quad (3)$$

with $G$ (m$^2$/C) defined as

$$G = \frac{g_m}{I_{SD}} \cdot \frac{1}{A_S^2 C_G + C_{DBL}}. \quad (4)$$

This $G$ is the figure of merit that represents the intrinsic charge sensitivity of the ISFET; to enhance the ISFET's intrinsic charge sensitivity, we should increase $G$ by altering the ISFET gate biasing $V_G$ that affects $g_m$, $I_{SD}$, and $C_G$ and by altering the geometric parameters $A_C$ and $A_S$. Below, we examine the bias and geometry dependence of $G$ by using an approximate long-channel formula that provides analytical guides and design insights, and also by complementing it with more accurate simulations that take into account the detailed device effects [e.g., short-channel effects, as our ISFETs come with submicron as well as micron channel lengths for geometric variations (Table I)].

As we increase $|V_{GS}|$ from zero, the ISFET’s channel inverts, transitioning from weak- to moderate- and eventually strong-inversion. With the experimentally used $V_{SD}$ being 0.5 V and $V_{TH}$ denoting the threshold voltage (negative for $p$-ISFETs), during this increasing inversion, while $|V_{GS}| < |V_{TH}|$ we define the ISFET to be in the subthreshold region of operation, and once $|V_{GS}| > |V_{TH}|$, the device enters saturation (with $|V_{SD}| > |V_{GS} - V_{TH}|$) and eventual linear region (after $|V_{SD}| < |V_{GS} - V_{TH}|$). Using a long-channel expression for $I_{SD}$ that captures the weak- and strong-inversion behaviors altogether, $g_m/I_{SD}$ can be expressed smoothly as [39, 40]

$$\frac{g_m}{I_{SD}} = \frac{\xi}{n \phi_1 (1 + \xi) \ln(1 + \xi)} \quad (5)$$

with

$$\xi = e^{-\frac{(V_{GS} - V_{TH})}{k_B T / n \phi_1}}. \quad (6)$$

where $\phi_1 = k_B T / e$ and $n$ is a process-dependent unitless number commonly between 1 and 1.5. In the weak inversion extreme ($V_{GS} > V_{TH}$, $|V_{GS} - V_{TH}| \gg n \phi_1$)
well into the subthreshold regime and in the strong inversion extreme \((V_{GS} < V_{TH}, |V_{GS} - V_{TH}| \gg n\Phi)\) well into the saturation regime, (5) collapses to the following well-established relations, respectively:

\[
\frac{g_m}{I_{SD}} \approx \frac{1}{n\Phi} \quad (7)
\]

\[
\frac{g_m}{I_{SD}} \approx \frac{2}{-(V_{GS} - V_{TH})}. \quad (8)
\]

The gate oxide capacitance per unit area \(C_G^\prime\) normalized to the gate oxide capacitance per unit area \(C_{ox}^\prime\) can also be calculated smoothly across the saturation and subthreshold regions [39]

\[
\frac{C_G^\prime}{C_{ox}^\prime} = \frac{2\Lambda}{n + 3n\Lambda + n\sqrt{4\Lambda + 1} + 4\Lambda} + \frac{n - 1}{n} \quad (9)
\]

with

\[
\Lambda = \ln^2(1 + \xi). \quad (10)
\]

\(g_m/I_{SD}\) and \(C_G^\prime/C_{ox}^\prime\) of (5) and (9) are plotted as functions of \(V_{GS}\) in Fig. 3(b) (top and middle), respectively, with \(V_{TH} = -0.7\) V and \(n = 1.53\) an approximate fit to the process parameters; the extrapolation of (5) and (9) into the less important linear region in Fig. 3(b) with no reference to the used \(V_{SD} = 0.5\) V is done for the sake of brevity; this approximation produces correct qualitative behaviors, as seen with simulations shortly. As shown in these calculations, with decreasing \(|V_{GS}|\) and with the ISFET making transition from saturation to subthreshold regime, \(g_m/I_{SD}\) is increased to a plateaued maximum value [41] and \(C_G^\prime/C_{ox}^\prime\) is decreased to a plateaued minimum value as the inverted channel charge is reduced.

These general patterns are confirmed with simulations more accurate than (5) and (9). Briefly, sources are applied to the SPICE models provided by the silicon foundry, with the gate voltage swept \(V_{SD} = 0.5\) V and the \(I_{SD}, g_m, \) and small signal, low frequency ac gate current measured. The \(g_m/I_{SD}\) is then directly calculated, while \(C_G^\prime/C_{ox}^\prime\) is calculated from the ac current and the process parameters for \(C_{ox}^\prime\). Fig. 3(b) (top) shows that simulated \(g_m/I_{SD}\) largely agrees with (5), varying very little among the wide range of \(W/L\) ratios used in our work, including both short and long channel devices \((L = 0.3–1.5\) \(\mu m))\. Fig. 3(b) (middle) shows that the overall dependency of simulated \(C_G^\prime/C_{ox}^\prime\) with varying \(|V_{GS}|\) is also similar to the calculated result. However, the simulated \(C_G^\prime/C_{ox}^\prime\) shows a dependency on the ISFET channel length, which is absent in (9) and thus unseen in the calculated figure, and is also larger than the calculation; this is largely due to the extrinsic fringing capacitance of the gate to source/drain terminals prominent in shorter channel devices, which (9) does not take into account. For more accurate equation-based calculation of \(C_G^\prime/C_{ox}^\prime\), this extrinsic capacitance can be included using appropriate process parameters [39].

Combining these bias effects in connection with the expression of \(G\) in (4), for a given floating gate geometry with fixed \(A_x, A_e\), decreasing \(|V_{GS}|\) into the subthreshold region offers a higher \(G\); for \(g_m/I_{SD}\) in the numerator of (4), it increases toward the maximum into the subthreshold region and \(C_G\) in its denominator finds near minimum values in the subthreshold region. However, decreasing \(|V_{GS}|\) deep into the subthreshold regime close to 0 V has limited benefits, because \(g_m/I_{SD}\) already hits the maximum plateau before \(|V_{GS}|\) is brought down to 0 V and \(C_G\) hits a minimum or tends to go back up slightly as shown with simulation. Furthermore, and importantly, with \(|V_{GS}|\) decreased deep into the subthreshold regime, not only does \(I_{SD}\) decrease exponentially to make its measurement significantly more difficult, but the 1/f noise of the pMOS transistor also saturates or even increases [42], [43]. Therefore, biasing the transistor around the border between the saturation and the subthreshold offers not only an optimal biasing that best compromises between magnitude of current and highest charge sensitivity, but also the highest signal-to-noise ratio in pMOS transistors.

\(G\) also depends on the floating gate geometry, specifically \(A_C/A_S\), as seen in (4). To increase \(G\) for a given biasing, one should reduce \(A_C/A_S\) by decreasing \(A_C\) and increasing \(A_S\)—which is a factor in the \(C_G^\prime\) term in the denominator of (4). However, as the \(C_G^\prime\) term grows smaller with the \(A_C/A_S\) reduction, the denominator becomes ultimately dominated by the \(C_{DBL}^\prime\) term, beyond which the \(A_C/A_S\) reduction will not be effective in further increasing \(G\). Fig. 3(b) (bottom) shows this dependence by plotting \(G\) versus \(|V_{GS}|\), using (5) and (9) for various \(A_C/A_S\) values. For these plots, we use \(C_{DBL}^\prime \sim 3\) mF/m² (we estimate this double-layer capacitance by assuming that it consists of a capacitance of the stern layer with \(\sim 1\) Debye length, 10-nm, thickness, and a dielectric constant of 6 in series with a capacitance of the diffusion layer with \(\sim 4\) Debye lengths, 40 nm, and dielectric constant of 30 [44], [45]) and \(C_{ox}^\prime = 5.1\) mF/m² \((\sigma_{ox} = 70\) A) for the 0.18-\(\mu m\) process. These plots show that \(G\) can be increased not indefinitely but by up to a factor of \(\sim 2\), when \(A_C/A_S\) is reduced from its nominal value of 1 to 0; the reduction of \(A_C/A_S\) below 1/20 is not effective due to the finite \(C_{DBL}^\prime\). Further increase in \(G\) can therefore be achieved by reducing \(C_{DBL}^\prime\) by lowering the solution concentration [3], [33].

Altering \(A_C/A_S\) or \(C_{DBL}^\prime\) will not only change the intrinsic small signal sensitivity of the ISFET device, but it will also change the dc potential of the floating gate [Fig. 3(a)]. From a large signal analysis, the dc potential of \(V_G\) is determined by a capacitive voltage divider between the electrolyte potential and the source/drain terminals: by altering the transistor channel area, sensing electrode area, or \(C_{DBL}^\prime\), the dc transfer function from the reference electrode to \(V_G\) will be affected in addition to the strength of the electric field between the aluminium oxide and electrolyte [7], [31], [36]–[38]. As a consequence, ISFETs with different geometries will require different reference voltages to be biased near the threshold.

**B. DNA Detection Experiments**

To verify our optimization theory, we perform DNA detection experiments with the ISFET arrays. In this section, we present the detection measurements across the arrays, and in the next section, we analyze the measurements and compare them with the theory.

During the measurements, both geometry and bias are varied among different ISFETs for the purpose of achieving a spread
of $G$ values to compare with their hybridization signals. Geometry is directly varied by designing the ISFET arrays with $AC/AS$ values ranging from 1/6.5 to 1/230 (Table I). Bias variation, however, is indirectly accomplished by fixing a common reference electrode voltage $V_{\text{REF}}$ in the shared electrolyte for a given chip during the entire real-time experiment, such that all ISFETs are approximately biased near the threshold (i.e., $V_{GS} \sim V_{TH} \sim -0.7$ V). As $V_{TH}$ varies around the nominal threshold voltage of $\sim -0.7$ V from device to device due to process variations and due importantly to the variations in the fixed charge that can accumulate on the floating gate, and as each device has a different transfer function from $V_{\text{REF}}$ to $V_G$ due to the ranging $AC/AS$, each device is in fact biased with varying effective $V_{GS}$--$V_{TH}$ values. In addition, we adjust $V_{\text{REF}}$ from $-0.15$ to $-0.1$ V for the two chips used in the experiments to provide a larger range of bias conditions, which adds to the spread of $G$ values. Overall, from our measurements, we estimate a range of 0.43 V for $V_{GS}$--$V_{TH}$ across the arrays with biasing in both the subthreshold and saturation regions.

Fig. 4(a) (top) shows a measured real-time trace of $I_{SD}$ (back calculated from the SR570-amplified voltage signal) from an ISFET with $W/L = 6 \mu m/0.25 \mu m$ and $AC/AS = 1/58$, before, during, and after the hybridization phase with 200-nM target DNA, where $V_{\text{REF}} = -0.1$ V was used for the array containing this ISFET. Before hybridization, $I_{SD}$ is stabilized at 15.8 $\mu A$. During hybridization, $I_{SD}$ goes up due to the relatively large amount of target DNAs in solution gating the ISFET and due also to a change of the ion concentration from 0.005 $\times$ PBS solution prior to and DI water during hybridization. After the hybridization phase, $I_{SD}$ relaxes back to another stable value of 18.1 $\mu A$. Overall, the hybridized target DNA causes a net increase in the stabilized value of $I_{SD}$ [3], [19]. In contrast, the control experiment with 200 nM control DNA—whose sequence is not complementary to probe DNA—does not show as appreciable a current change before and after hybridization [Fig. 4(a) (bottom)]. We note that the control and hybridization experiments are performed sequentially on the same ISFET array with the same bias; to this end, a 45-min treatment with 90 $^\circ$C deionized water is used to remove any residual control DNA after the control experiment, and the chip is then refunctionalized with biotinylated BSA and streptavidin, and probe DNA sequentially reintroduced, yielding a similar amount of immobilized probe DNA before the hybridization experiment [7]. In addition, the periodic spikes in the current trace result from the addition of 0.005 $\times$ PBS [target/control DNAs] at every 14 min during the prehybridization and posthybridization phases [hybridization phase] to prevent bubble formation.

The 200-nM hybridization results from all ISFETs from two separate arrays (two separate chips) are shown in Fig. 4(b), along with the signals from the control experiment performed in one of the two arrays ($V_{\text{REF}} = -0.15$ V for Chip I target, $V_{\text{REF}} = -0.1$ V for Chip II target and control). Independent of the bias condition or device geometry, a total of 26 out of 32 ISFETs show their 200-nM hybridization signals well separated from the 200-nM control signals. Device 12, Chip I, which is not counted toward the 26 working devices, is still shown in Fig. 4(b), shows no change of current from before to after hybridization. The five devices omitted from Fig. 4(b) are either degraded after postprocessing or their source-to-drain current is too low to be accurately measured. The tendency for the control experiments to shift negative might result from the negatively charged control DNAs partially binding to the far 3' end of the probe DNAs, thus electrostatically pushing the probe DNA away from the ISFET sensing area at the 5' end and causing a decrease in the current.

Averaging the hybridization results from devices with identical geometries from both Chip I and Chip II, shown with
C. Quantifications of the DNA Detection Signal

We verify our optimization theory by correlating the measured $\Delta I_{SD}/I_{SD}$ and the $G$ factor we extract from the measured $I_{SD}$ (Fig. 5). Since we cannot directly measure $V_{GS}-V_{TH}$ of the ISFET as we have access to the gate only through the electrolyte, for each ISFET, we use the 30-min measured and averaged prehybridization $I_{SD}$ value at the steady state in conjunction with simulated $I_{SD}/g_{m}$ and $I_{SD}-C_{G}^\prime/C_{ox}$ curves to extract $G$. As seen in Fig. 5, the measured $\Delta I_{SD}/I_{SD}$ increases with the extracted $G$, with a linear fit $R^2 = 0.68$ for the wide range of $G$, which confirms our optimization theory (we expect a similar $q_s^G$ across different ISFETs as we perform the same surface treatment for each device). From the data, for a larger $G$, created by a reduction of $A_C/A_S$ and biasing closer to or in subthreshold, a larger hybridization signal is measured. A smaller $G$, on the other hand, has a much reduced hybridization signal, due to a larger $A_C/A_S$ and biasing further away from the subthreshold in the saturation region. Furthermore, the hybridization data are well separated from those in the control experiment, in which we obtain a similar range of $G$ values among ISFETs; this further demonstrates the cogency of our study.

IV. Conclusion

In sum, we performed a systematic study of optimization of CMOS-ISFETs to improve their inherent charge sensitivity. The real-time charge detection signal can be enhanced by biasing the ISFET near threshold, by reducing its channel-to-sensing area ratio, and by minimizing the double-layer capacitance of the sensing electrode. This study is verified by 26 CMOS-ISFETs of varying sizes and biases, which detect the same 200-nM target DNA with different hybridization signals in real-time current monitoring. To lower the limit of detection for future works, properly optimized device geometries and biasing could be combined with increased probe concentration and electrolyte Debye lengths. This optimization study may be useful for the implementation of a large-scale CMOS-ISFET array for a variety of biomolecular sensing applications.

References


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